



Modular Units

By S. Lang

Springer. Hardcover. Condition: New. 360 pages. Dimensions: 9.3in. x 6.2in. x 1.1in. In the present book, we have put together the basic theory of the units and cuspidal divisor class group in the modular function fields, developed over the past few years. Let \mathbb{H} be the upper half plane, and N a positive integer. Let $\Gamma(N)$ be the subgroup of $SL(2, \mathbb{Z})$ consisting of those matrices $\begin{pmatrix} a & b \\ c & d \end{pmatrix}$ with $a, d \equiv 1 \pmod{N}$ and $b, c \equiv 0 \pmod{N}$. Then $\mathbb{H}/\Gamma(N)$ is complex analytic isomorphic to an affine curve $Y(N)$, whose compactification is called the modular curve $X(N)$. The affine ring of regular functions on $Y(N)$ over \mathbb{C} is the integral closure of $\mathbb{C}[j]$ in the function field of $X(N)$ over \mathbb{C} . Here j is the classical modular function. However, for arithmetic applications, one considers the curve as defined over the cyclotomic field $\mathbb{Q}(\zeta_N)$ of N -th roots of unity, and one takes the integral closure either of $\mathbb{Q}[j]$ or $\mathbb{Z}[j]$, depending on how much arithmetic one wants to throw in. The units in these rings consist of those modular functions which have no zeros or poles in the upper half plane. The points of $X(N)$ which lie at infinity, that is which do not correspond to points on the...



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